

Functional Programming with OCaml

CSC 310 - Programming Languages

Functional Programming

- Functional programming
 - defines computations as mathematical functions
 - discourages use of mutable state
- State: the information maintained by a computation

Functional versus Imperative

- Function languages
 - Higher level of abstraction
 - Immutable state
 - Easier to develop robust software
- Imperative languages
 - Lower level of abstraction
 - Mutable state
 - More difficult to develop robust software

Imperative Programming

- Commands specify how to compute by destructively changing state
- The fantasy about changing state (mutability)
 - It is easy to reason about; the machine does this, then this, ...
- The reality
 - Machines are good at complicated manipulation of state
 - Humans are not good at understanding it

Imperative Programming

- Mutation breaks referential transparency, the ability to replace an expression with its value without affecting the result
- Problem: there is no single state
 - Programs have many threads, spread across many cores, spread across many processors, spread across many computers. . .
 - each with its own view of memory
- Difficult to examine a piece of code and reason about its behavior

Functional programming

- Expressions specify what to compute
 - Variables never change value (like mathematical variables)
 - Functions (almost) never have side effects
- The reality of immutability
 - No need to think about local state
 - Can perform local reasoning and assume referential transparency

ML-style (Functional) Languages

- ML (Meta Language)
 - University of Edinburgh, 1973
- Standard ML
 - Bell Labs and Princeton, 1990
- OCaml (Objective CAML)
 - INRIA, 1996
- Haskell (1998)
 - lazy functional programming

Key Features of ML

- First-class functions
 - Functions can be parameters to other functions, return values from functions, and stored as data
- Favor immutability
- Data types and pattern matching
- Type inference
 - No need to write types in the source program
 - Supports parametric polymorphism
- Exceptions
- Garbage collection

Why Study Functional Programming

Function languages predict the future:

- Garbage collection
 - LISP (1958), Java (1995), Python 2 (2000)
- Parametric Polymorphism (generics)
 - ML (1973), SML (1990), Java 5 (2004), Rust (2010)
- Higher-order functions
 - LISP (1958),
- Type Inference
 - ML (1973), C++11 (2011), Java (2011), Rust (2010)
- Pattern matching
 - SML (1990), Scala (2002), Rust (2010)

OCaml Compiler

- One OCaml compiler is `ocamlc`
 - Produces `.cmo` (compiled object) and `.cmi` (compiled interface) files
 - By default, links and produces an executable named `a.out`
- Another OCaml compiler is `ocamlopt`
 - Produces `.cmx` files, which contain native code
 - Faster executables, but not platform independent

OCaml Compiler: Multiple Files

- Suppose we have a `main.ml` file that depends on functions defined in a `util.ml` file
- Compile both together

```
ocamlc util.ml main.ml
```

- Compile both separately

```
ocamlc -c util.ml
```

```
ocamlc util.cmo main.ml
```

OCaml Top-level

- The top-level is a read-eval-print loop (REPL) for OCaml
- The `ocaml` program starts the top-level

```
$ ocaml
```

```
OCaml version 4.14.0
```

```
Enter #help;; for help.
```

```
# print_string "Hello world!\n";;
```

```
Hello world!
```

```
- : unit = ()
```

- To exit the top-level, type Control-D

Loading Code Files into the Top-level

- Load a file into the top-level

```
'#use "filename.ml"
```

- `#use` processes the file a line at a time

OPAM: OCaml Package Manager

- `opam` is the OCaml package manager
 - Manages libraries and different compiler installations
- Common packages to install
 - `ounit`, a unit testing framework
 - `utop`, a top-level with extra features
 - `dune`, a build system for larger projects

Building Projects with dune

- dune automatically finds dependencies and invokes the compiler and linker
- A dune file is similar to a Makefile
- dune can run a project's test suite with "dune runtest"

A Note on ; ;

- ; ; ends an expression in the top-level
 - basically says “evaluate the expression”
 - not used in the body of a function
 - not needed after each function definition
- ; ; should not be used in program source code
- There is also a single semicolon in OCaml
 - Useful when programming imperatively with side effects

Recall: Syntax and Semantics

- The *syntax* of a programming language refers to structure of the language, that is, what constitutes a legal program.
- The *semantics* of a programming language refers to the meaning of a legal program.
- Additionally, *idioms* are conventional ways to use a language well

Expressions

- Expressions are the basic building block
- Every expression has
 - Syntax
 - Here the metavariable e denotes an arbitrary expression
 - Semantics
 - Type checking rules (static semantics)
 - Evaluation rules (dynamic semantics)

Values

- A value is an expression cannot be evaluated any further
 - Here the metavariable v denotes an arbitrary value
- Evaluating an expression means computing it until it is a value.
- Examples
 - 42 is a value
 - $42 + 1$ is an expression that evaluates to 43

Types

- Types classify expressions
 - The set of values an expression could evaluate to
 - Here the metavariable t denotes an arbitrary type
- The expression e has type t if e will (always) evaluate to a value of type t
- Write $e : t$ to denote e has type t
 - Determining that e has type t is called type checking

If Expressions

- Syntax:

(if e1 then e2 else e3) : t		
v	v	v
:bool	:t	:t

- Type checking: the if expression type checks if e1 has type bool and both e2 and e3 have the type t

If Expressions: Type Checking and Evaluation

```
# if 1 > 2 then "a" else "b";;
```

```
- : string = "b"
```

```
# if true then 1 else 2;;
```

```
- : int = 1
```

```
# if false then 3 else "hello";;
```

```
Error: This expression has type string but an expression was expected of type
      int
```

Function Definitions

- OCaml functions are like mathematical functions; compute a result from provided arguments
- Example:

```
let rec fact n = (* rec is needed for recursion *)  
  if n = 0 then (* = is structural equality *)  
    1  
  else  
    n * fact (n-1)
```

Type Inference

- A variable declaration does not need to be annotated with a type; the type can be inferred
- Type inference happens as part of type checking
 - Determines a type satisfies all constraints
- In the previous example, `n` has type `int` because the `=` operator takes two `int` expressions and returns a `bool` expression, so `n` must be an `int` for `n = 0` to type check

Function Application

- Syntax: $f\ e_1 \dots e_n$
 - Parentheses are not required around arguments
 - No commas; use spaces instead
- Evaluation
 - Find the definition of f
 - Evaluate the arguments $e_1 \dots e_n$ to values $v_1 \dots v_n$
 - Substitute arguments $v_1 \dots v_n$ for params $x_1 \dots x_n$ in the body, e
 - call the resulting expression e'
 - Evaluate e' to value v , which is the final result

Example: Function Evaluation

- `fact 2`
- `if 2 = 0 then 1 else 2 * fact (2-1)`
- `2 * fact 1`
- `2 * (if 1 = 0 then 1 else 1 * fact(1-1))`
- `2 * 1 * fact 0`
- `2 * 1 * (if 0 = 0 then 1 else 0 * fact(0-1))`
- `2 * 1 * 1`
- `2`

Function Types

- In OCaml, \rightarrow is the function type constructor
 - Type $t_1 \rightarrow t$ is a function with argument or *domain* type t_1 and return or *range* type t
 - Type $t_1 \rightarrow t_2 \rightarrow t$ is a function that takes two inputs, of types t_1 and t_2 , and returns a value of type t (kind of – more on this later)

- Example:

```
# not;;  
- : bool -> bool = <fun>  
# (+);;  
- : int -> int -> int = <fun>
```

Type Checking Function Application

- Syntax: $f \ e_1 \ \dots \ e_n$
- Type checking
 - If $f: t_1 \rightarrow \dots \rightarrow t_n \rightarrow u$
 - and $e_1:t_1, \dots \ e_n:t_n$
 - then $f \ e_1 \ \dots \ e_n : u$

Type Checking Function Definition

- Syntax: `let rec f x1 ... xn = e`
- Type checking
 - Conclude the $f : t_1 \rightarrow \dots \rightarrow t_n \rightarrow u$ if $e:u$ under the assumptions:
 - $x_1:t_1, \dots, x_n:t_n$ (arguments with their types)
 - $f : t_1 \rightarrow \dots \rightarrow t_n \rightarrow u$ (for recursion)

Type Annotations

- The syntax `(e : t)` asserts that “e has type t”

- This can be added (almost) anywhere

- Examples:

```
let (x : int) = 3
```

```
let fn (x : int) : float =  
  (float_of_int x) *. 2.14
```

- Checked by the compiler – very useful for debugging